

AGRODEP  
Household survey data course  
Dakar, 8-10 October 2012

# Sample calculation



HarvestChoice  
BETTER CHOICES, BETTER LIVES



LSMS  
Living Standards Measurement Study

# Sample Size

## Maize yield (kg/hect)

- Mean: 802.6 kg/hect
- St. Dev. : 1027.79
- Deff: 1.28 ( $\rho=0.03$ )

## Fertilizer Usage

- Mean: 0.553
- Deff: 3.63 ( $\rho=0.29$ )

## Irrigation Usage

- Mean: 0.15
- Deff: 5.37 ( $\rho=0.49$ )

## T values for two-tailed test

50%	80%	90%	95%	98%	99%
0.67449	1.281552	1.644854	1.95996	2.32635	2.57583

# Sample Size

- What is the required sample size to detect a 10% change in maize yields?
- Note this is the same question as if you wanted to see a 10% difference between related questions in the same dataset (though the variance would probably be lower).

$$n = \left[ \frac{4\sigma^2 (z_{1-\alpha/2} + z_{1-\beta})^2}{D^2} \right] [1 + \rho(m-1)]$$

**sampsi 802.6 882.6, sd1(1027.79)**

Estimated sample size for two-sample comparison of means

Test Ho:  $m1 = m2$ , where  $m1$  is the mean in population 1 and  $m2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (two-sided)

power = 0.9000

m1 = 802.6

m2 = 882.6

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 1.00

Estimated required sample sizes:

n1 = 3469

n2 = 3469

**sampsi 802.6 882.6, sd1(1027.79) onesided**

Estimated sample size for two-sample comparison of means

Test Ho:  $m1 = m2$ , where  $m1$  is the mean in population 1  
and  $m2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (one-sided)

power = 0.9000

m1 = 802.6

m2 = 882.6

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 1.00

Estimated required sample sizes:

n1 = 2828

n2 = 2828

**sampsi 802.6 882.6, sd1(1027.79) power (0.8) onesided**

Estimated sample size for two-sample comparison of means

Test  $H_0: m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (one-sided)

power = 0.8000

m1 = 802.6

m2 = 882.6

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 1.00

Estimated required sample sizes:

n1 = 2041

n2 = 2041

**sampsi 802.6 882.6, ratio(2) sd1(1027.79)**

Estimated sample size for two-sample comparison of means

Test  $H_0: m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (two-sided)

power = 0.9000

m1 = 802.6

m2 = 882.6

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 2.00

Estimated required sample sizes:

n1 = 2602

n2 = 5204

**sampsi 802.6 1043.38, sd1(1027.79) onesided**

Estimated sample size for two-sample comparison of means

Test  $H_0: m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (one-sided)

power = 0.9000

m1 = 802.6

m2 = 1043.38

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 1.00

Estimated required sample sizes:

n1 = 313

n2 = 313

```
sampsi 802.6 882.6, sd1(1027.79) onesided
method(change) pre(1) post(1) r01(0.7)
```

Estimated sample size for two samples with repeated measures

Assumptions:

alpha = 0.0500 (one-sided)

power = 0.9000

m1 = 802.6

m2 = 882.6

sd1 = 1027.79

sd2 = 1027.79

n2/n1 = 1.00

number of follow-up measurements = 1

number of baseline measurements = 1

correlation between baseline & follow-up = 0.700

Method: CHANGE

relative efficiency = 1.667

adjustment to sd = 0.775

adjusted sd1 = 796.123

Estimated required sample sizes:

n1 = 1697

n2 = 1697

```
sampsi 802.6 907.6, sd1(1027.79) sd2(1456.85) onesided  
n1(1500) n2(1246)
```

Estimated power for two-sample comparison of means

Test  $H_0: m_1 = m_2$ , where  $m_1$  is the mean in population 1  
and  $m_2$  is the mean in population 2

Assumptions:

alpha = 0.0500 (one-sided)

m1 = 802.6

m2 = 907.6

sd1 = 1027.79

sd2 = 1456.85

sample size n1 = 1500

n2 = 1246

n2/n1 = 0.83

Estimated power:

power = 0.6897

```
sampsi 802.6 907.6, sd1(1027.79) sd2(1456.85) onesided
method(change) pre(1) post(1) r01(.7) n1(1500) n2(1246)
```

Estimated power for two samples with repeated measures

Assumptions: alpha = 0.0500 (one-sided)

m1 = 802.6

m2 = 907.6

sd1 = 1027.79

sd2 = 1456.85

sample size n1 = 1500

n2 = 1246

n2/n1 = 0.83

number of follow-up measurements = 1

number of baseline measurements = 1

correlation between baseline & follow-up = 0.700

Method: CHANGE

relative efficiency = 1.667

adjustment to sd = 0.775

adjusted sd1 = 796.123

adjusted sd2 = 1128.471

Estimated power:

power = 0.868

# Can't forget the Deff...

No design effects	With design effects
2,828	3,620
2,041	2,612
313	401
849	1,087

...where  $deff = 1.28$

**sampsi 802.6 1043.38, sd1(1027.79) onesided**

n1 = 313

n2 = 313

**sampclus, obsclus(10) rho(0.03)**

Sample Size Adjusted for Cluster Design

n1 (uncorrected) = 313

n2 (uncorrected) = 313

Intraclass correlation = .03

Average obs. per cluster = 10

Minimum number of clusters = 80

Estimated sample size per group:

n1 (corrected) = 398

n2 (corrected) = 398

# Exercise

- What is the sample size necessary to detect a 10 percent change in the percent of households using an improved water source?
- Improved water source is defined as piped water inside the dwelling, private outside standpipe/tap, public standpipe/tap, neighboring household, water vendor, water truck / tanker service.
- Hint: Calculate rho, then use *sampsi* and *sampclus* commands